

T.D.C. Part III<sup>rd</sup>  
Chemistry paper V<sup>th</sup> ; Physical Chemistry  
Energy level spacing :  $\rightarrow$

As,

$$E_n = (n + \frac{1}{2}) h c \bar{\nu}_0$$

$$E_{n+1} = (n + 1 + \frac{1}{2}) h c \bar{\nu}_0$$

for the transition,

$$v = n+1 \leftarrow n$$

$$\Delta E = h c \bar{\nu}_0$$

and,

$$\Delta \bar{\nu} = \bar{\nu}_0$$

that is energy levels are equally spaced.

Selection Rule :  $\rightarrow$

Selection rule for vibrational quantum number is —

(I)  $\Delta v = \pm 1.$

(II) The vibration must involve a change in dipole moment of the molecule. Thus vibrational spectra observed only in heteronuclear diatomic molecules. Since homonuclear diatomic molecules have no dipole moment.

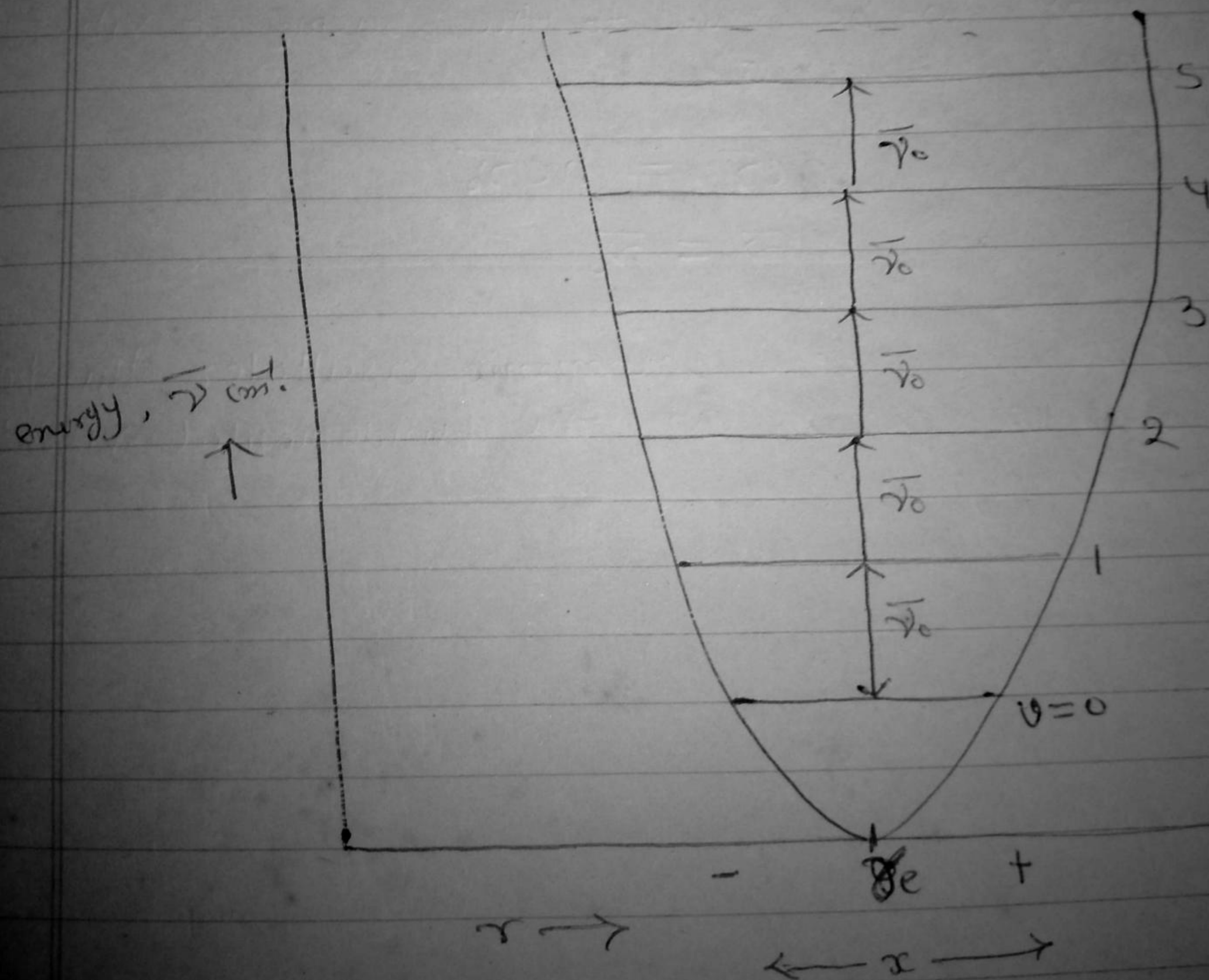
## Morse Curve $\Rightarrow$

Simple harmonic vibrations of a diatomic molecule and the allowed vibrational energy levels along with the transitions between them, is explained by the following potential energy curve known as a Morse curve.

As,

$$E = \frac{1}{2} K (\tau - \tau_e)^2$$

The potential energy curve is parabolic.



## I. R. Spectra $\rightarrow$

As frequency separation between vib. energy levels in a transition is always equal to  $\bar{\nu}_0$ , all lines in the spectrum fall at the same place.

Spectrum



For ~~the~~ interaction the energy of absorbed radiation  $hc\bar{\nu}$  must be equal to the spacing of vib. energy levels, so that

$$hc\bar{\nu} = hc\bar{\nu}_0$$

$$\text{or, } \bar{\nu} = \bar{\nu}_0$$

Thus for ideal harmonic oscillator the spectral absorption occurs at the fundamental vibrational frequency.

# Population of vibrational energy levels

gf

$n_1 =$  NO. of molecules in vibrational level  $v=1$   
and  $n_0 =$  " " " " " " "  $v=0$

$$\frac{n_1}{n_0} = e^{-\Delta E/kT}$$

As  $\Delta E \gg kT$

$$\frac{n_1}{n_0} = \frac{1}{99}$$

i.e. At ordinary temps about 99% molecules occupy  $v=0$  vibrational level. Hence  $\Delta v = \pm 1$ , transition involved is



## Calculation of force constant $\rightarrow$

Let  $\lambda =$  wavelength of radiation observed

$$\therefore \bar{\nu} = \frac{1}{\lambda}$$

Transition involved is



since frequency fundamental frequency

$$\nu_0 = \frac{1}{2\pi} \sqrt{k/\mu} \text{ sec}^{-1}$$

and as

$$\bar{\nu}_0 = \bar{\nu} = \frac{1}{2\pi c} \sqrt{k/\mu}$$

or,

$$\bar{\nu}_0^2 = \frac{1}{4\pi^2 c^2} \cdot \frac{k}{\mu}$$

or,

$$k = 4\pi^2 c^2 \bar{\nu}_0^2 \cdot \mu$$

↓  
force constant

CO > NO > HF > HI

K                      K                      K                      K